

Analysis of capability of detection of extensive air showers by simple scintillator detectors

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$$\langle N | \widehat{K} | F \rangle$$



Introduction

High energy primary
cosmic rays ($E \geq 1 \text{ TeV}$).

↓

Interaction with Earth's
atmosphere.

↓

Cascade of secondary
particles.

↓

Registration of particles on
the ground.

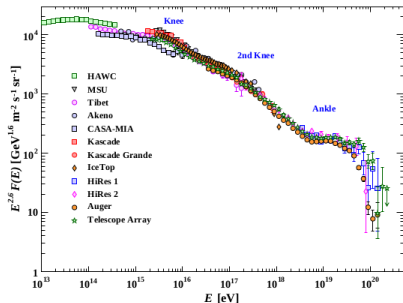


Figure: Primary cosmic-rays energy spectrum for all particles [1].

Motivation & method

Goal of CREDO project:

*Confirmation of existence of
Cosmic Rays Ensembles (CRE)*

Requires:

Global infrastructure of detectors.

One of possible candidates:

*System of several connected
scintillator detectors
(like Cosmic Watch [2])*

Goal of this work:

*Analysis of reliability and
efficiency of such system.*

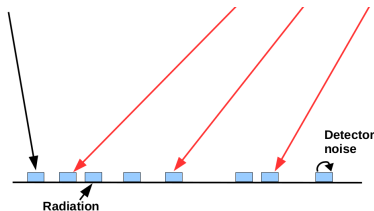


Figure: System scheme.

Assumptions

Assumptions about detectors:

- Each of n devices is identical.
- Detectors are placed close to each other (within meters).
- Flat devices \Rightarrow detect particles from all directions.
- Small area of their surface A .

Assumptions about cascades:

- Symmetrical in azimuthal angle.
- Characterized by:
 - E - energy of primary particle,
 - θ - angle of incidence,
 - N_{part} - number of produced particles.
- Density ρ is a function of r - distance from cascade centre.

Simulations

Currently used:

- Showers simulated using CORSIKA software [3].
- Cascades from **protons**.
- 18 different energies between 1 TeV and 4000 TeV.
- From 500 to 10000 simulated cascades for each energy.
- Only particles with $E_{part} \geq 0.3$ GeV included.

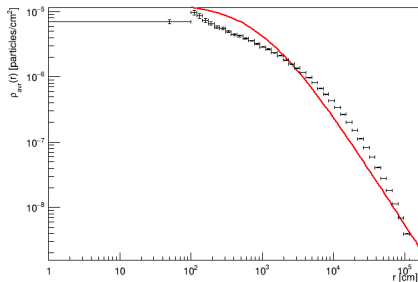


Figure: Muon density distribution $\rho_{\mu}(r)$ for proton with $E = 100$ TeV as a primary particle.

Methodology - background

Probability of a signal from the background:

$$P_{bg} = 1 - e^{-\delta T(\eta \cdot A \cdot I_{bg} + f_{bg})} \quad (1)$$

- δT - coincidence time,
- η - detector's efficiency,
- I_{bg} - background particles flux,
- f_{bg} - frequency of non cosmic background signals.

Expected number of background events:

$$\langle N_{bg}(k) \rangle = Q(n, k, P_{bg}) \cdot \frac{T}{\delta T} \quad (2)$$

- $Q(n, k, P_{bg})$ - probability of coincidence (binomial distribution),
- T - time of measurement.

Methodology - EAS parametrization

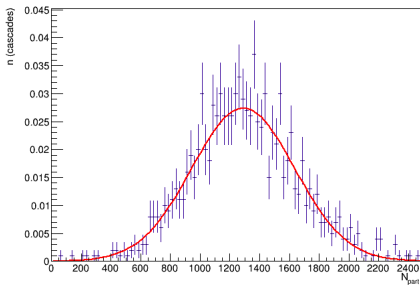


Figure: Number of cascades with certain number of produced **muons** for primary cosmic-ray proton with energy $E = 100 \text{ TeV}$ as a prime.

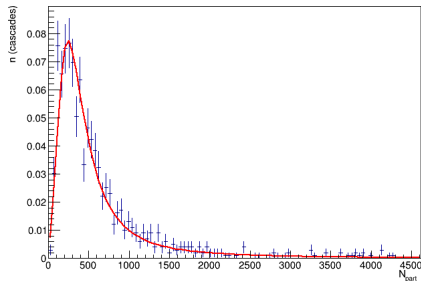


Figure: Number of cascades with certain number of produced **photons** for a proton with energy $E = 100 \text{ TeV}$.

Methodology - EAS parametrization

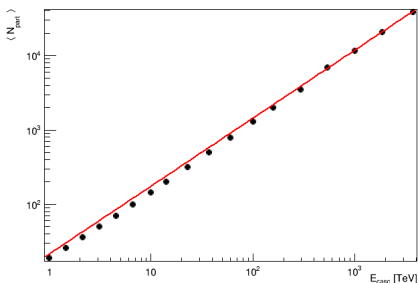


Figure: Average number of produced **muons** $\langle N_{\mu} \rangle(E)$ in cascades from cosmic-ray protons for different energies, presented with fitted function as red line.

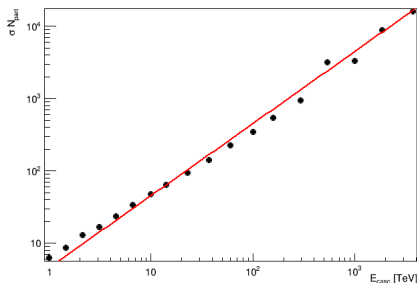


Figure: Standard deviation of the number of produced **muons** $\sigma_{\mu}(E)$ in cascades from cosmic-ray protons for different energies, presented with fitted function as red line.

Methodology - EAS parametrization

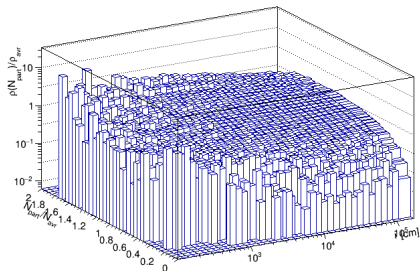


Figure: Normalised **muons** density distribution $\rho_\mu(r, N_\mu)$ for different number of produced particles.

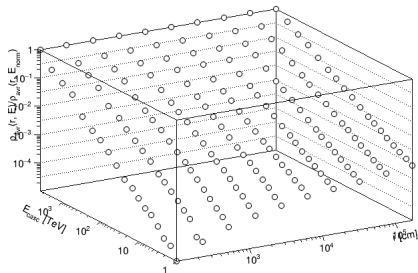


Figure: Normalised **muons** density distribution $\rho_\mu(r, E)$ for different energies of primary particle.

Methodology - EAS parametrization

Zenith angle distribution assumptions and simplifications:

- $\rho_{part}(\theta) \propto N_{part}(\theta)$.
- $\rho_{part}(\theta)$ the same for every energy.
- $\rho_{part}(\theta)$ does not depend on the distance from the centre of the shower r .

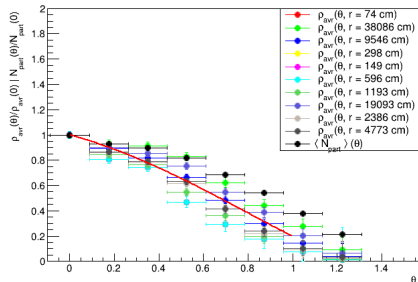


Figure: Normalised number of **muons** $\frac{\langle N_{\mu}(\theta) \rangle}{\langle N_0 \rangle}$ produced for different angles of incidence of primary protons with energy $E = 100 \text{ TeV}$ with fitted function.

Methodology - EAS signals

Function of particles density $\rho(r, \theta, E, N_{part})$:

$$\rho(r, \theta, E, N_{part}) = \rho_{norm}(r) \cdot F_{\theta}(\theta) \cdot F_E(E, r) \cdot F_N(N_{part}, r) \quad (3)$$

- $\rho_{norm}(r)$ - average particles density for vertical cascade of given energy.
- $F_{\theta}(\theta)$ - scaling with angle.
- $F_E(E, r)$ - scaling with energy.
- $F_N(N_{part}, r)$ - scaling with total number of produced particles.

Methodology - EAS signals

An integral for expected number of events $\langle N(k) \rangle$:

$$\langle N(k) \rangle = \int_0^{r_{max}} \int_{E_{min}}^{E_{max}} \int_0^{\frac{\pi}{2}} Q(n, k, P) 2\pi r j(E) T d\Omega dE dr \quad (4)$$

- k - number of coincidences.
- n - number of devices in the system.
- r_{max} - maximal distance from the centre of the cascade (radius in which 95% of particles are contained).
- $j(E)$ - frequency of primary cosmic rays [4].
- $P = 1 - \exp(-\eta \cdot A \cdot \rho(r, \theta, E, N_{part}))$ - probability of a signal from EAS.

Results

Results for system of 4 Cosmic Watches with parameters:
 $A = 25 \text{ cm}^2$, $\delta T = 200 \text{ ms}$, $\eta = 95\%$, $I_{bg} = 163 \text{ particles } m^{-2}s^{-1}$,
 $f_{bg} = 0.1 \text{ s}^{-1}$ and $T = 7 \text{ days}$.

k	Background		Analysis		Simpler method	
	Only μ	μ, e^\pm, γ	Only μ	μ, e^\pm, γ	Only μ	μ, e^\pm, γ
	$\langle N(k) \rangle_{bg}$	$\langle N(k) \rangle_{bg}$	$\langle N(k) \rangle$	$\langle N(k) \rangle$	$\langle N(k) \rangle$	$\langle N(k) \rangle$
1	860000	$1.17 \cdot 10^6$	41000	64000	59000	178000
2	0.092	0.17	0.179	426	0.213	63
3	$\sim 10^{-9}$	$\sim 10^{-8}$	0.0182	31	0.003	0.406
4	$\sim 10^{-17}$	$\sim 10^{-16}$	0.0068	21	0.0006	0.143

Table: Results of the calculations for cascades and background signals.

Comparison with measurements

$\langle N(k) \rangle_{window}$ - only 30% of EAS with $\theta \geq 15^\circ$ have electromagnetic component included.

k	$\langle N(k) \rangle_{\mu}$	$\langle N(k) \rangle_{\mu, e, \gamma}$	$\langle N(k) \rangle_{window}$	$N_{data}(k)$
2	0.179	426	99.5	94
3	0.0182	31	5.9	2
4	0.0068	21	3.9	1

Table: Results of the calculations for cascades and background signals compared with measurements [5]

Important remark

Those are very early results and thus need to be treated with caution. After improvements in the analysis they may change significantly.

Possible energy estimation

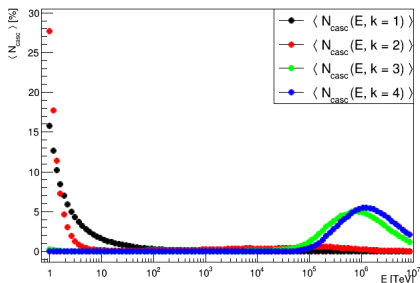


Figure: Expected number of coincidence signals for different energies $\langle N_{casc}(k, E) \rangle$ for analysed system (simpler method).

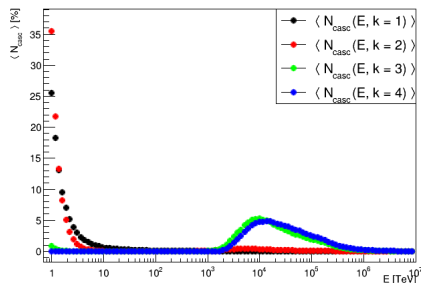


Figure: Expected number of coincidence signals for different energies $\langle N_{casc}(k, E) \rangle$ for analysed system (analysis).

Summary

Conclusions:

- Small detectors systems should be able to detect EAS with high reliability but rather low efficiency.
- More information about detectors is necessary.
- Conditions of measurement significantly impact results.
- Groups of heavier nuclei should be included in the analysis.
- Different energy thresholds for different particle types should be considered.
- It might be possible to estimate energy of cascades that caused signal.

Thank you for your attention!

References I

- [1] P.D. Group et al., *Review of particle physics, The European Physical Journal C-Particles and Fields* **3** (1998) 1.
- [2] T. Abu-Zayyad, R. Aida, M. Allen, R. Anderson, R. Azuma, E. Barcikowski et al., *The cosmic-ray energy spectrum observed with the surface detector of the telescope array experiment, The Astrophysical Journal Letters* **768** (2013) L1.
- [3] D. Heck, G. Schatz, J. Knapp, T. Thouw and J. Capdevielle, *Corsika: A monte carlo code to simulate extensive air showers*, Tech. Rep. (1998).
- [4] R. Abbasi, Y. Abdou, M. Ackermann, J. Adams, J. Aguilar, M. Ahlers et al., *IceTop: The surface component of icecube, Nuclear Instruments and Methods in Physics Research Section A: Accelerators, Spectrometers, Detectors and Associated Equipment* **700** (2013) 188.

References II

- [5] M. Karbowski, T. Wibig, D. Alvarez-Castillo, D. Beznosko, A.R. Duffy, D. Góra et al., *The first CREDO registration of extensive air shower*, *Physics Education* **55** (2020) 055021.